

ORIGINAL COURSE IMPLEMENTATION DATE:September 1994REVISED COURSE IMPLEMENTATION DATE:January 2018COURSE TO BE REVIEWED: (six years after UEC approval)June 2023Course outline form version: 09/15/14June 2023

OFFICIAL UNDERGRADUATE COURSE OUTLINE FORM

Note: The University reserves the right to amend course outlines as needed without notice.

Course Code and Number: MATH 152			Number of Credits: 4 Course credit policy (105)								
Course Full Title: Linear Algebra for Engineering											
Course Short Title (if title exceeds 30 characters):											
Faculty: Faculty of Science			Department (or program if no department): Mathematics & Statistics								
Calendar Description:		•									
Intended for engineering students, this cours solutions to linear systems of equations, det applications in science and engineering.	se covers ba erminants, a	asic proble and eigenv	ms an alue p	d concepta roblems. E	s in Euclidean space, su Emphasis throughout the	ch as matrix algebra, e course is placed on					
Note. This course is offered as MATT 132 a		JZ. Sluder	no ma								
Prerequisites (or NONE):	None.										
Corequisites (if applicable, or NONE):											
Pre/corequisites (if applicable, or NONE):	MATH 112.										
Equivalent Courses (cannot be taken for additional credit) Former course code/number: Cross-listed with: ENGR 152 Equivalent course(s): Note: Equivalent course(s) should be included in the calendar description by way of a note that students with credit for the equivalent course(s) cannot take this course for further credit.				Transfer Credit Transfer credit already exists: ☑ Yes □ No Transfer credit requested (OReg to submit to BCCAT): □ Yes □ No (if yes, fill in transfer credit form) Resubmit revised outline for articulation: ☑ Yes □ No To find out how this course transfers, see bctransferguide ca							
Total Hours: 60				Special	Topics	·					
Typical structure of instructional hours:					Will the course be offered with different topics?						
Lecture hours	60		🗌 Yes	🗌 Yes 🖾 No							
Seminars/tutorials/workshops				If ves, different lettered courses may be taken for credit:							
Laboratory hours					☐ No ☐ Yes, repeat(s) ☐ Yes, no limit Note: The specific topic will be recorded when offered.						
Field experience hours											
Experiential (practicum, internship, etc.)			_	Note: The							
Online learning activities			_	Maximu	ximum enrolment (for information only): 36						
Other contact hours:			_								
	lotal	60		annually	d frequency of course , every other year, etc.): <u>E</u>	offerings (every semester, Every winter semester					
Department / Program Head or Director: lan Affleck					Date approved:	March 2017					
Faculty Council approval					Date approved:	April 28, 2017					
Campus-Wide Consultation (CWC)					Date of posting:	n/a					
Dean/Associate VP: Lucy Lee					Date approved:	April 28, 2017					
Undergraduate Education Committee (UEC) approval					Date of meeting:	June 16, 2017					

MATH 152

Learning Outcomes

Upon successful completion of this course, students will be able to:

- 1. Solve linear systems of equations;
- 2. Determine whether a set of vectors is linearly independent;
- 3. Construct a basis for a vector space and determine its dimension;
- 4. Determine whether a transformation is linear, and represent linear transformations as matrix multiplication;
- 5. Perform operations of matrix algebra;
- 6. Calculate determinants;
- 7. Determine the eigenvalues and eigenvectors of matrices, and use them to diagonalize matrices when appropriate;
- 8. Perform elementary algebraic operations with complex numbers;
- 9. Construct solutions to linear systems of ordinary differential equations;
- 10. Calculate the projection of a vector onto a vector subspace using inner products;
- 11. Compute Fourier approximations;
- 12. Use appropriate technology to perform the calculations associated with the previous objectives.

Prior Learning Assessment and Recognition (PLAR)							
Yes No, PLAR cannot be awarded for this course because							
Typical Instructional Methods (guest lecturers, presentations, online instruction, field trips, etc.; may vary at department's discretion)							
Lectures, with tutorial sessions.							
Grading system: Letter Grades: 🛛 Credit/No Credit: 🗌 Labs to be scheduled independent of lecture hours: Yes 🗌 No 🗌							
NOTE: The following sections may vary by instructor. Please see course syllabus available from the instructor.							

Typical Text(s) and Resource Materials (if more space is required, download Supplemental Texts and Resource Materials form) Author (surname, initials) Title (article, book, journal, etc.) Current ed. Publisher Year Lay D., Lay, S., & 1. \boxtimes Linear Algebra and its Applications Pearson McDonald, J. 2. Strang, G Linear Algebra and its Applications \boxtimes Thompson Herman, E., & Pepe, \boxtimes 3. Visual Linear Algebra Wiley М 4. 5. \square

Required Additional Supplies and Materials (software, hardware, tools, specialized clothing, etc.)

Typical Evaluation Methods and Weighting

Final exam:	40%	Assignments:	15%	Midterm exam:	30%	Practicum:	%
Quizzes/tests:	15 %	Lab work:	%	Field experience:	%	Shop work:	%
Other:	%	Other:	%	Other:	%	Total:	100%

Details (if necessary): Students must achieve at least 40% on the final exam in order to receive credit for this course.

Typical Course Content and Topics

Use of graphing calculator and/or CAS expected. Most examples and demonstrations will be in terms of 2- and 3-dimensions.

- 1. Linear systems of equations; row-reduced echelon form, rank.
- 2. Vector space, dot product, vector product (in 3D); applications to 2D and 3D geometry.
- 3. Matrix algebra, elementary matrices, inverses, transposes.
- 4. Matrix form of geometrically defined linear transformations.
- 5. Properties of determinants.
- 6. Linear dependence and independence, span, dimension.
- 7. Orthogonal transformations, orthonormal basis.
- 8. Algebra of complex numbers, De Moivre's theorem.
- 9. Eigenvalues / -vectors, diagonalization, symmetric matrices.
- 10. Linear systems of differential equations, diagonizable case, 2x2 nondiagonalizable case.
- 11. Fourier series approximations.