

ORIGINAL COURSE IMPLEMENTATION DATE: September 1998
REVISED COURSE IMPLEMENTATION DATE: September 2019
COURSE TO BE REVIEWED (six years after UEC approval): February 2025

Course outline form version: 05/18/2018

## OFFICIAL UNDERGRADUATE COURSE OUTLINE FORM

Note: The University reserves the right to amend course outlines as needed without notice.

Course Code and Number: MATH 211		Number of Credits: 3 Course credit policy (105)								
Course Full Title: CALCULUS III										
Course Short Title:										
(Transcripts only display 30 characters. Departments may recommend a short title if one is needed. If left blank, one will be assigned.)										
Faculty: Faculty of Science		Department (or program if no department): MATH & STATS								
Calendar Description:										
Extends the concepts of first-year calculus from the one-variable setting to a multi-variable setting. Topics include 3-dimensional analytic geometry, Euclidean spaces, partial derivatives and gradient, optimization, multiple integrals, and applications.										
Prerequisites (or NONE):	C or better in MATH 112 or MATH 1			18.						
Corequisites (if applicable, or NONE):	NONE									
Pre/corequisites (if applicable, or NONE):	NONE									
Antirequisite Courses (Cannot be taken for	additional cr	edit.)	Special	ecial Topics (Double-click on boxes to select.)						
Former course code/number:			This course is offered with different topics:							
Cross-listed with:			No ☐ Yes (If yes, topic will be recorded when offered.)							
Dual-listed with:			Independent Study							
Equivalent course(s):			If offered as an Independent Study course, this course may							
(If offered in the previous five years, antirequisite course(s) will be			be repeated for further credit: (If yes, topic will be recorded.)							
included in the calendar description as a note that students with credit for the antirequisite course(s) cannot take this course for further credit.)			☐ No ☐ Yes, repeat(s) ☐ Yes, no limit							
To the antirequisite course(s) cannot take the	3 000130 101 1	Transfer Credit								
Typical Structure of Instructional Hours			Transfer credit already exists: (See <u>bctransferguide.ca</u> .)							
Lecture/seminar hours		50	☐ No	□ No ⊠ Yes						
Tutorials/workshops				Submit outline for (re)articulation:						
Supervised laboratory hours			☑ No ☐ Yes (If yes, fill in transfer credit form.)							
Experiential (field experience, practicum, internship, etc.)			Grading System							
Supervised online activities			☐ Letter Grades ☐ Credit/No Credit							
Other contact hours:			Maximu	um enrolment (for infor	mation only): 36					
	Total hours	50	Expect	ed Frequency of Course	e Offerings:					
				Every year (Every semester, Fall only, annually, etc.)						
Department / Program Head or Director: Ian Affleck				Date approved:	October 22 2018					
Faculty Council approval				Date approved:	November 30, 2018					
Dean/Associate VP: Lucy Lee				Date approved:	November 30, 2018					
Campus-Wide Consultation (CWC)				Date of posting:	January 18, 2019					
Undergraduate Education Committee (UEC) approval				Date of meeting:	February 1, 2019					

## **Learning Outcomes:**

Upon successful completion of this course, students will be able to:

- Graph points and vectors in Cartesian 3-space, calculate with the vector operations of addition and scalar multiplication, interpret geometrically.
- Calculate the dot product and cross product in 3-space, interpret geometrically, use the interpretation to construct elementary
  arguments for various geometric facts or to test elementary statements, establish elementary facts about vector algebra from
  the definitions.
- Given various constraints, construct equations and systems of equations for lines and planes in 3-space, use the equations to establish elementary properties thereof.
- Graph points in the polar, cylindrical and spherical coordinate systems, convert between coordinate systems.
- Identify and graph simple surfaces in 3-space (cylinders and quadric surfaces).
- Use multivariable functions in Cartesian, polar, cylindrical and spherical coordinate systems: determine domain, graph lines and surfaces (via traces and level curves), model real-world problems.
- Calculate limits of multivariable functions, define and test for continuity.
- Calculate partial derivatives, interpret the results of the calculations in real-world contexts, establish elementary propositions.
- Calculate gradient and directional derivatives, interpret the results in real-world contexts, and establish elementary propositions.
- Calculate tangent planes and normal lines to a given surface and establish elementary propositions.
- Use differentials and linear approximations to estimate change in nonlinear functions.
- Find the extrema of functions of two or more variables on various domains, including using the technique of Lagrange multipliers, apply to solve real-world optimization problems.
- Set-up the appropriate iterated integral to integrate functions over a given region in the plane or 3-space, in Cartesian, polar, cylindrical and spherical coordinates, in particular to calculate surface area, volume etc.
- Convert given multiple integrals between coordinate systems with Jacobians.
- Clearly state and interpret the central definitions and theorems for all the topics discussed above.

Prior Learnin	ng Assessment and	d Recognition (PLA	AR)									
Typical Instructional Methods (Guest lecturers, presentations, online instruction, field trips, etc.; may vary at department's discretion.)												
The course will be primarily lecture-based. Evaluation will include quizzes, midterm exams, assignments and a final exam. This course may use an online homework system and/or computer software such as Maple, Sage, etc.												
NOTE: The following sections may vary by instructor. Please see course syllabus available from the instructor.												
Typical Text(s) and Resource Materials (If more space is required, download Supplemental Texts and Resource Materials form.)												
Author (	surname, initials)	Title (article, boo	k, journal, etc	:.)	Current ed	. Publisher	Year					
1. Larson, Hostetler & Edwards Multivariable Calculus (7 ed)						Houghton and Mifflin	2002					
2. Stewart,	J	Calculus (8 ed)				Nelson Education	2016					
3.												
4.												
5.												
Required Additional Supplies and Materials (Software, hardware, tools, specialized clothing, etc.)												
Typical Evaluation Methods and Weighting												
Final exam:	40%	Assignments:	10%	Field experience:	%	Portfolio:	%					
Midterm exa	am: 40%	Project:	%	Practicum:	%	Other:	%					
Quizzes/tes	ts: 10%	Lab work:	%	Shop work:	%	Total:	100%					
Details (if necessary): Students must obtain at least 40% on the final exam to pass the course.												

## **Typical Course Content and Topics**

- I Vectors and the geometry of space
  - 1. Vectors in the plane and in 3-dimensional space
  - The dot product of two vectors
  - 3. The cross product of two vectors in space
  - 4. Lines and planes in space
  - 5. Surfaces in space
  - 6. Cylindrical and spherical coordinates

- II Functions of several variables
  - 1. Limits and continuity of functions of several variables
  - Partial derivatives and chain rules
  - Directional derivatives and gradients 3.
  - Tangent planes and normal lines 4.
  - 5. Linear approximations and differentials
  - 6. Extrema of function of two variables and applications

## III Multiple Integration

- 1. Iterated integrals and area in the plane
- Double integrals and volume
   Change of variables: Polar coordinates
- 4. Surface area
- 5. Triple integrals and applications
- 6. Triple integrals in cylindrical and spherical coordinates
- 7. Change of variables: Jacobians